# **BAREBONES MODEL:**

### **VARIABLES:**

 $Y \equiv \text{output}$   $\dot{Y} \equiv \text{output growth}$   $\dot{Y}^* \equiv LTSG$ 

LF  $\equiv$  labor force  $L\dot{F} \equiv$  labor force growth

LP  $\equiv$  labor productivity  $\dot{LP} \equiv$  labor productivity growth

 $E_L \equiv \text{Employment level}$   $\dot{E} \equiv \text{employment growth}$ 

P = price level  $\dot{P} = \pi \equiv \text{inflation rate}$   $\pi^* \equiv \text{target inflation rate}$ 

POP  $\equiv$  working age population  $P\dot{O}P \equiv$  working age population growth

 $U_L \equiv U_L \equiv U_L$ 

 $f \equiv fed funds rate$   $r \equiv real fed funds rate$   $r^* \equiv neutral r$ 

#### **EQUATIONS:**

(1) Output equation  $\dot{Y} = \dot{L}F + \dot{L}P$   $\dot{Y}^* \equiv \dot{L}F^* + \dot{L}P^*$ 

(2) IS Curve  $Y_t = A - ar_t$ 

(3) Phillips Curve  $\pi_1 = \pi_e + \alpha(U^* - U_1)$ (4) Okun's Law  $\dot{Y}_t = \dot{Y}^* + c(U_{t-1} - U_t)$ 

(5) Taylor Rule  $f = \pi + \alpha(\pi - \pi^*) + \beta \cdot (U^* - U) + r^*$ 

# **Expanded Equations:**

(1.1)  $\dot{LP} = f(K, L_E, S)$  K = capital stock  $L_E =$  efficiency of labor S = Solow residual

(1.2) LF = POP \* LFPR

(1.3) LF =  $(POP_{16-24}*LFPR_{16-24}) + (POP_{25-54}*LFPR_{25-54}) + (POP_{55-64}*LFPR_{55-64}) + (POP_{\geq 65}*LFPR_{\geq 65})$ 

(1.4) LFPR = LF/POP

(1.5)  $U_L = LF - E_L$   $U_L \neq POP - E_L$ 

(1.6)  $U = (U_L/LF) * 100$ 

### **Real World Practices:**

(1.1) LP shifts periodically, and defies prediction. Forecasters extrapolate.

(1.2)  $\pi_e$  are backward looking, excepting amid large oil and/or TW\$ shocks

(1.3) U\* is identifiable, after the fact. We only know we pierced U\*, when  $\pi$  accelerates

(1.4) r\* changes, cycle to cycle.

(1.5)  $\alpha$  Phillips Curve parameter, appears to be quite low, amid 'anchored'  $\pi$  expectations

(1.6) β Taylor rule parameter, historically is "1", when using U to calibrate resource use.