

# Currency Wars, Trade Wars and Global Demand

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- Policy debate about currency wars since the global financial crisis
- A currency war can be waged with a variety of policy instruments: interest rates, foreign exchange interventions, capital controls, inflation target, forward guidance etc.
  - multilateral implications should depend on the instrument
- Now tariffs and trade wars are added to the policy mix
  - alleged equivalence between currency manipulation and tariffs
- What are the multilateral implications of these instruments in a Keynesian environment?

# Introduction

- I use a simple model with many countries and Armington assumption
- Downward nominal wage stickiness like in Schmitt-Grohé and Uribe (2016)
- Low global demand can lead to a global liquidity trap with unemployment
- Countries can increase their employment by depreciating their currency (using various instruments), by imposing a tariff on imports or subsidies on exports
- Equivalence between instruments? Multilateral implications? Case for international coordination?

## Literature

- International monetary coordination: Obstfeld and Rogoff (2002), Benigno and Benigno (2006), Canzoneri, Cumby and Diba (2005) etc.
- International contagion in global liquidity traps: Eggertsson et al (2016), Caballero, Farhi and Gourinchas (2015), Fujiwara et al. (2013), Devereux and Yetman (2014), Acharya and Bengui (2016), Fornaro and Romei (2019) etc.
- Fiscal devaluations: Farhi, Gopinath and Itzhoki (2014), Correia et al (2013)
- Macro impact of trade policy: Barbiero et al (2017), Erceg, Prestipino and Raffo (2017), Lindé and Pescatori (2017)
- Two distinct features of this paper: multiplicity of policy instruments and explicit characterization of Nash equilibria (tractability through intertemporally quasi-linear preferences)

## Roadmap

- 1 A Two-period Model
- 2 National Policymaking
- 3 Benefits of International Policy Coordination
- 4 Dynamic Extensions

# A Two-period Model

## A Two-period Model

- World composed of a continuum of small open economies  $j \in [0, 1]$
- Each economy is populated by representative household with utility

$$U_1 = u(C_1) + \beta U_2$$

where  $u(C) = C^{1-1/\sigma} / (1 - 1/\sigma)$

- In  $t = 1$  consumption is the Cobb-Douglas index

$$C = \left( \frac{C_H}{\alpha_H} \right)^{\alpha_H} \left( \frac{C_F}{\alpha_F} \right)^{\alpha_F}$$

where

$$C_F = \left[ \int_0^1 C_k^{(\gamma-1)/\gamma} dk \right]^{\gamma/(\gamma-1)} \quad \gamma > 1$$

- Final utility

$$U_2 = C_{H2} + C_{F2}$$

# A Two-period Model

- Production of home good

$$Y_t = L_t$$

- Home-currency price of the home good is equal to the nominal wage,  $W_t$
- The representative consumer is endowed with a fixed quantity of labor  $\bar{L}$

$$L_t \leq \bar{L}$$

unemployment  $\bar{L} - L_t$

# A Two-period Model

- Downward nominal stickiness in wage like in Schmitt-Grohé and Uribe (2016) or Eggertsson et al (2016)

$$\pi_t = \frac{W_t}{W_{t-1}} - 1 \geq \underline{\pi}$$

- The economy can be in two regimes: full employment ( $L = \bar{L}$ ), or less than full employment, in which case  $\pi = \underline{\pi}$ 
  - L-shaped Phillips curve



# A Two-period Model

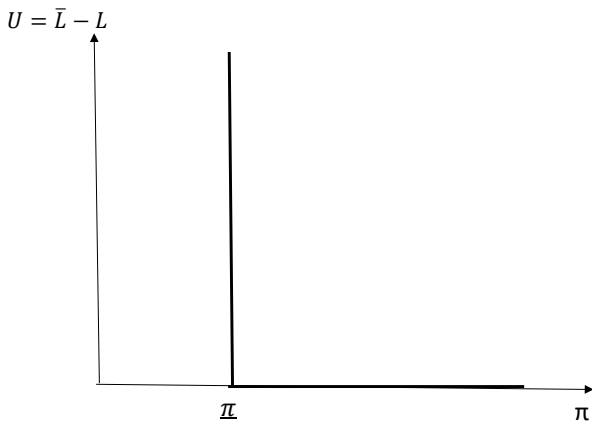


Figure: Phillips Curve

# A Two-period Model

## Budget constraints

- Period 1

$$P_1 \frac{B}{R(1 + \tau^b)} + W_1 C_{H1} + (1 + \tau^m) P_1 C_{F1} = W_1 L_1 + Z_1$$

$P_1$ : offshore domestic-currency price of the global good

$\tau^m$ : tax on imports

$B$ : quantity of real bonds accumulated by the representative consumer

$\tau^b$ : tax on foreign borrowing (capital inflows)

$R$ : gross real interest rate in terms of the global good

$Z_1$ : lump-sum rebate of the proceeds of the taxes

- One can introduce markets for money and domestic nominal bonds to endogenize the nominal interest rate  $i$  (zero trade in equilibrium)

# A Two-period Model

- Period 2: full employment and no taxes so

$$W_2 C_{H2} + P_2 C_{F2} = W_2 \bar{L} + P_2 B$$

- This implies that final terms of trade  $S_2 = W_2/P_2$  are equal to 1

$$S_2 = 1$$

- Final welfare

$$U_2 = \bar{L} + B$$

- Why make utility intertemporally quasi-linear: tractability and good approximation
  - the  $T$ -period model will inherit the properties of the 2-period model

# A Two-period Model

- Three terms of trade

$$S_1 \equiv \frac{W_1}{P_1}, \quad S_1^m \equiv \frac{S_1}{1 + \tau^m} \quad \text{and} \quad S_1^x \equiv (1 + \tau^x) S_1$$

$\tau^x$ : tax on exports

- Demand for home labor

$$L_1 = \alpha_H (S_1^m)^{-\alpha_F} C_1 + (S_1^x)^{-\gamma} C_{F1}^W$$

where  $C_F^W$  is world demand for imports

- BOP equation

$$\frac{B}{R} = X$$

$$X = (S_1^x)^{1-\gamma} C_{F1}^W - \alpha_F (S_1^m)^{\alpha_H} C_1$$

## Three policy areas and four instruments for each country $j$ :

- **monetary policy:** nominal interest rate  $i_j$  subject to ZLB constraint
- **trade policy:** taxes  $\tau_j^m$  and  $\tau_j^x$
- **capital account policy:** tax on external borrowing  $\tau_j^b$ 
  - equivalent to reserves intervention with a closed capital account (set  $B_j$  instead of  $\tau_j^b$ )
- Inflation is set to a target  $\pi^*$  when there is full employment

$$\begin{aligned}\pi_t &= \pi^* \text{ if } L_t = \bar{L} \\ &= \underline{\pi} \text{ if } L_t < \bar{L}\end{aligned}$$

(inflation is set independently of  $i$  if there is full employment)

## Interest parity

- Arbitrage between real and nominal bonds

$$1 + i = R (1 + \tau^b) \frac{P_2}{P_1},$$

- Using  $S_t = W_t/P_t$  and  $W_2/W_1 = 1 + \pi^*$  this implies

$$S_1 = \frac{1 + i}{R(1 + \tau^b)(1 + \pi^*)}$$

→ two policy instruments can be used in a “currency war:”  $i$  and  $\tau^b$  (conventional monetary policy vs. capital controls/fxi interventions)

## Euler

- Euler equation

$$u'(C_1)(S_1^m)^{\alpha_F} = \beta \frac{1+i}{1+\pi^*}$$

where  $(S^m)^{\alpha_F}$  is price of home good in terms of home consumption

- Monetary policy affects demand in standard way:  $i \nearrow$  leads to  $C \searrow$
- A tariff on imports is a tax on consumption:  $\tau^m \nearrow$  leads to  $C \searrow$

The national social planner's (NSP) problem

$$\max U_1 = u(C_1) + \beta RX$$

over policy instruments, subject to

$$u'(C_1)(S_1^m)^{\alpha_F} = \beta \frac{1+i}{1+\pi^*}$$

$$S_1 = \frac{1+i}{R(1+\tau^b)(1+\pi^*)}$$

$$X = (S_1^x)^{1-\gamma} C_{F1}^W - \alpha_F (S_1^m)^{\alpha_H} C_1$$

$$L_1 = \alpha_H (S_1^m)^{-\alpha_F} C_1 + (S_1^x)^{-\gamma} C_{F1}^W \leq \bar{L}$$

and  $i \geq 0$



## Comparative statics

**Proposition 1.** *Consider a symmetric undistorted allocation with unemployment and assume  $\sigma < 1$ . Then employment and welfare are moved in the same direction by all policy instruments. The employment and welfare of a given country are increased by (i) a decrease in the nominal interest rate; (ii) an increase in the tariff on imports; (iii) a decrease in the tax on exports; (iv) an increase in the tax on capital inflows:*

$$\frac{\partial U_1}{\partial i} < 0, \frac{\partial U_1}{\partial \tau^m} > 0, \frac{\partial U_1}{\partial \tau^x} < 0, \frac{\partial U_1}{\partial \tau^b} > 0.$$

Condition  $\sigma < 1$  ensures that **expenditure-switching** dominates **expenditure-reducing** effect when using tariff

## Equivalence results

**Proposition 2** (*Instrument equivalence*) Any allocation  $(C_H, C_F, L, \pi)$  achieved by policy  $(i, \tau^m, \tau^x, \tau^b)$  can also be achieved by policy  $(i, \tilde{\tau}^m, \tilde{\tau}^x, \tilde{\tau}^b)$  with

$$\begin{aligned}(1 + \tilde{\tau}^m)(1 + \tilde{\tau}^x) &= (1 + \tau^m)(1 + \tau^x), \\(1 + \tilde{\tau}^m)(1 + \tilde{\tau}^b) &= (1 + \tau^m)(1 + \tau^b)\end{aligned}$$

- Related to Lerner (1936), Farhi, Gopinath and Itzhoki (2014), Costinot and Werning (2017)
- One tax is redundant
- It does not matter which tax is not used in **partial** equilibrium, but it matters in **general** equilibrium (the international spillovers are different)

# National Policymaking

- When can a floating exchange rate be a substitute to trade taxes (Meade, 1955)?
- Assume  $P_1 = E_1 P_1^*$
- **Result:** The allocations achievable with a fixed exchange rate  $E_1 = \bar{E}$  and trade taxes  $\tau^m$  and  $\tau^x$  can be replicated with a floating exchange rate and zero trade taxes if and only if

$$(1 + \tau^m)(1 + \tau^x) = 1$$

- Equivalent floating exchange rate given by

$$\tilde{E}_1 = (1 + \tau^m) \bar{E}$$

- The floating exchange rate must be implemented with capital controls (or forex interventions), not monetary policy
- to keep the domestic Euler condition the same

## Benefits of International Policy Coordination

- We consider symmetric equilibria in which

$$\forall j \quad \beta_j = \beta$$

- Global market clearing conditions

$$\int X_j dj = 0$$
$$C_F^W = \alpha_F \int (S_j^m)^{\alpha_H} C_j dj$$

implies

$$\int (S_j^x)^{1-\gamma} dj = 1$$

Terms of trade in export markets must average to 1

## Roadmap

- 1 Spillovers
- 2 Global Liquidity Trap ( $i$ )
- 3 Global Social Planner
- 4 Trade Wars ( $\tau^m$  and  $\tau^x$ )
- 5 Capital Wars ( $\tau^b$ )
- 6 Numerical Illustration

# Benefits of International Policy Coordination

**Spillovers.** Assume that a small mass  $\epsilon$  of countries  $j$  change their instrument  $\eta_j = i_j, \tau_j^m, \tau_j^x, \tau_j^b$

**Table 1. International spillovers**

	$i_j$	$\tau_j^m$	$\tau_j^x$	$\tau_j^b$
$U_j$	$-\eta - \alpha_H \sigma$	$\alpha_H \alpha_F (1 - \sigma)$	$-\alpha_F (\gamma - 1)$	$\eta$
$U_{-j}$	$\eta - \alpha_F \sigma$	$-\alpha_F (\alpha_H + \alpha_F \sigma)$	$\alpha_F (\gamma - 1) - \alpha_F \sigma$	$-\eta$
$U^W$	$-\sigma$	$-\alpha_F \sigma$	$-\alpha_F \sigma$	0

where  $\eta = \alpha_F (\gamma - \alpha_H \sigma - \alpha_F)$  is elasticity of trade deficit w.r.t.  $i$

- Positive-sum game: monetary stimulus, subsidy on exports
- Zero-sum game: capital controls (or forex interventions)
- Negative-sum game: tariff on imports

# Benefits of International Policy Coordination

Assume countries only have the interest rate as a policy instrument

A Nash equilibrium is then composed of global economic conditions  $(R, C_F^W)$ , monetary policies  $(i_j)$  and allocations  $(C_{Hj}, C_{Fj}, C_j, L_j, \pi_j)$  for all countries  $j \in [0, 1]$  such that: (i) the monetary policy of any country  $j$  maximizes domestic welfare given the global economic conditions; (ii) country allocations satisfy the equilibrium conditions given country policies and global economic conditions; and (iii) the global markets clearing conditions are satisfied.

**Proposition 3. (Conventional currency war)** *Assume that the only policy instrument available to national social planners is the nominal interest rate. Then there is a unique Nash equilibrium between national planners and the nominal interest rate is given by,*

$$i = \left( \frac{1 + \pi^*}{\beta} - 1 \right)^+$$

*There is full employment in period 1 if and only if  $\beta \leq 1 + \pi^*$ . If this condition is violated the global economy falls in a liquidity trap with the same level of unemployment in all countries and welfare is at the first best level.*

**Proposition 4. (Inflation target war)** *Assume that the national social planners can choose their inflation targets before period 1. Then in a symmetric Nash equilibrium social planners set an inflation target  $\pi^* \geq \beta - 1$  and  $i_j = (1 + \pi^*) / \beta - 1$ . There is full employment in all countries.*



# Benefits of International Policy Coordination

**Global Social Planner (GSP)** (sets the policy instruments for the representative country)

**Proposition 5. (Global Social Planner)** *The GSP sets the interest rate like in the Nash equilibrium and the trade taxes such that  $(1 + \tau^m)(1 + \tau^x) = 1/S^*$ , where  $S^* > 1$  satisfies*

$$(S^*)^{-\alpha_F(1-\sigma)} (\alpha_H + \alpha_F S^*) = (1 + i)^{-\sigma}.$$

*If the ZLB constraint is not binding the GSP sets the trade taxes to zero. There is full employment in the GSP allocation.*

- Monetary policy is the preferred instrument to achieve full employment
- In a global liquidity trap, the GSP uses trade taxes to *subsidize* consumption

# Benefits of International Policy Coordination

## Trade wars

Use tariffs in a global liquidity trap ( $\beta > 1 + \pi^*$ )

In Nash equilibrium

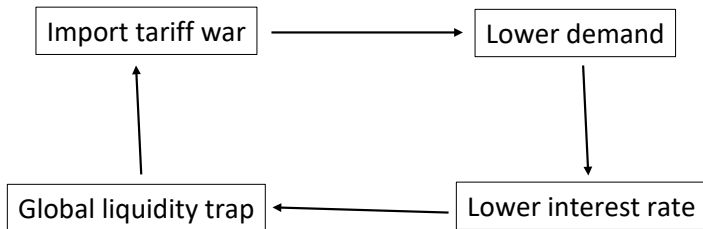
- Equilibrium tariff given by

$$\tau^m = \alpha_H \left( \frac{1}{\sigma} - 1 \right)$$

- The tariff war reduces global employment and welfare (Proposition 7)
  - a tariff war is a negative-sum game
  - the GSP (or international coordination) would set  $\tau^m = 0$
- Tariff wars may lead to **self-fulfilling liquidity traps**

# Benefits of International Policy Coordination

- Tariff wars can lead to self-fulfilling liquidity traps



# Benefits of International Policy Coordination

Assume NSPs use **both tariffs on imports and subsidies on exports** ( $\tau^m$  and  $\tau^x$ ) in a global liquidity trap

- The Nash equilibrium leads to the GSP allocation with full employment (Proposition 9)
- There is no benefit from international coordination
- It is crucial, in a trade war, whether NSPs use export subsidies

# Benefits of International Policy Coordination

**Capital wars** National social planners can use  $i, \tau^b$

**Proposition 10.** *Assume all national social planners can use the tax on capital inflows  $\tau^b$  in a global liquidity trap. There is a symmetric Nash equilibrium if and only if  $\gamma \leq 2$ . The level of the tax in this equilibrium is given by*

$$\tau^b = \frac{\gamma - \alpha_H \sigma - \alpha_F}{\sigma}. \quad (1)$$

*Employment and welfare are the same as in the equilibrium without capital control. The global social planner is indifferent about the level of  $\tau^b$ , and there is no benefit from international policy coordination.*

- What if  $\gamma > 2$ ? (true under baseline calibration)

# Benefits of International Policy Coordination

Symmetry breaking if  $\gamma > 2$

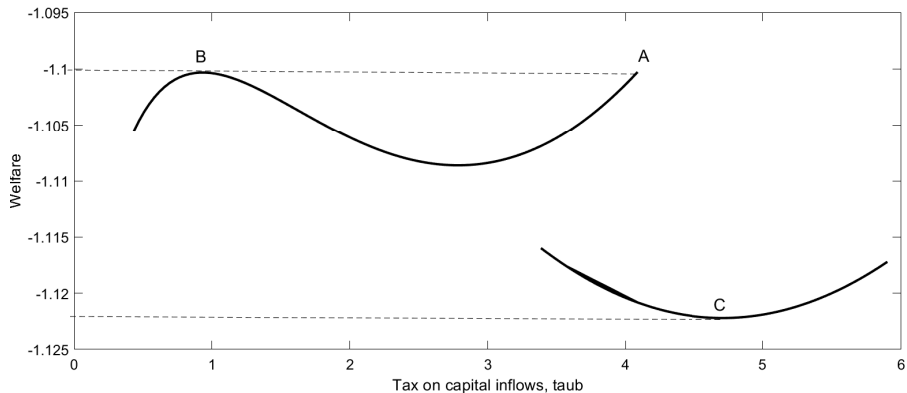


Figure: Variation of welfare with tax on capital inflows in symmetric allocation and Nash equilibrium

# Benefits of International Policy Coordination

- If  $\gamma > 2$  the global economy endogenously divides itself into two groups of countries in a capital war
  - ① countries with a more competitive currency, a trade surplus, and full employment
  - ② countries with a less competitive currency, a trade deficit and some unemployment
- The deficit countries suffer from unemployment and the surplus countries suffer from the low return that they received on their foreign assets
- In equilibrium the welfare of surplus countries and deficit countries is the same

## Numerical illustration

Benchmark calibration

$\sigma$	$\gamma$	$\alpha_H$	$\bar{L}$
0.5	3	0.6	1

$\gamma$  consistent with micro elasticity estimates of Feenstra et al (2018)



# Benefits of International Coordination

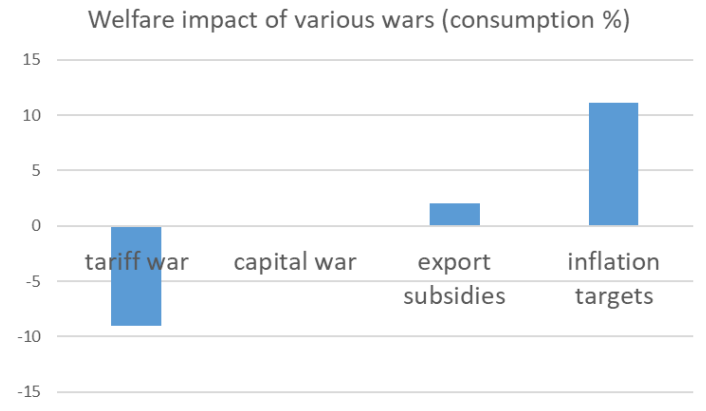


Figure: Impact of trade and currency wars on welfare

## Dynamic Extensions

- A  $T$ -period model inherits the properties of the 2-period model provided that it is intertemporally quasi-linear
- Assume time  $t = 1, 2, \dots, T$  where  $T$  is arbitrarily large

- Domestic welfare

$$U_t = u(C_t) + \beta_t U_{t+1}$$

for  $t < T$  and

$$U_T = C_{HT} + C_{FT}$$

- National social planners set domestic policies in each period  $t$  in a time consistent way (no commitment) so as to maximize domestic welfare, taking global economic conditions  $(r_t)_{t=1, \dots, T-1}$  and  $(C_{Ft}^W)_{t=1, \dots, T}$  as given
  - **no commitment**: hence policy changes are perceived to be temporary

$$U_1 = \sum_{t=1}^{T-1} \left( \prod_{t'=1}^{t-1} \beta_{t'} \right) \underbrace{\left[ u(C_t) + \left( \prod_{t'=t}^{T-1} \beta_{t'} R_{t'} \right) X_t \right]}_{V_t}.$$

$$X_t = (S_t^x)^{1-\gamma} C_{Ft}^W - \alpha_F (S_t^m)^{\alpha_H} C_t$$

$$S_t = \prod_{t'=1}^{T-1} \frac{1 + i_{t'}}{R_{t'} (1 + \tau_{t'}^b) (1 + \pi_{t'+1})}$$

$$u'(C_t) (S_t^m)^{\alpha_F} = \prod_{t'=t}^{T-1} \beta_{t'} \frac{1 + i_{t'}}{1 + \pi_{t'+1}}$$

We look at subgame perfect Nash equilibria between national social planners

**Proposition 11.** *Assume that the only policy instrument available to national social planners is the nominal interest rate. Then there is a unique subgame perfect Nash equilibrium between national planners. There is full employment in all periods if and only if the condition  $\beta_t \leq 1 + \pi^*$  is satisfied for all  $t$ . The global economy is in a liquidity trap with less than full employment in any period in which this condition is violated.*

**Proposition 12.** *Assume that the national social planners can use tariffs on imports in a period  $t$  with unemployment. Then the equilibrium tariff is the same as in the 2-period model.*

# Dynamic Extensions

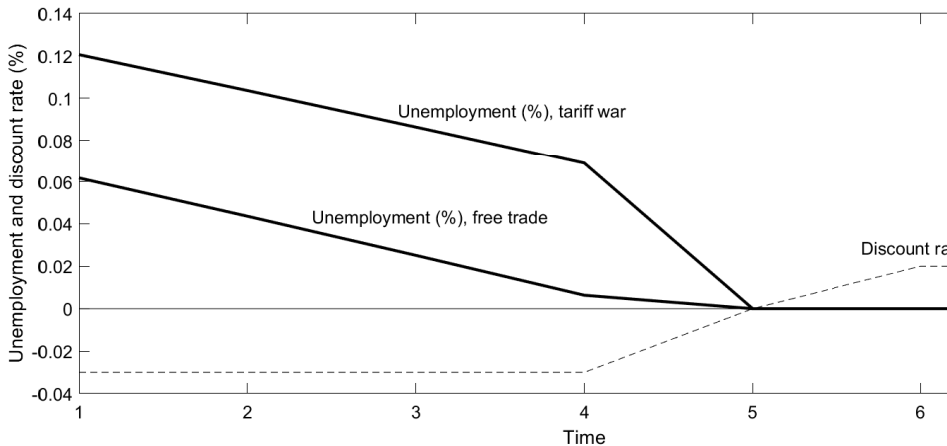


Figure: Unemployment rate in a dynamic trade war

## Summary

- “Currency wars” and “trade wars” are loose concepts: the policy instruments crucially matter
  - for example, a trade war has opposite welfare implications if it involves tariff imports or export subsidies
  - partial equilibrium equivalence results may be misleading
- The welfare cost of uncoordinated policies also depend on the state of global demand
- The welfare gains from international policy coordination are large when it avoids an import tariff war in a context of low global demand
  - import tariffs seem to be the instrument of choice in the real world

## Possible extensions

- 1 Asymmetric equilibria in which only a subset of countries use certain instruments, or with regional saving gluts
- 2 Study how the incentives to deviate from free trade depend on global demand
- 3 How do the results depend on assumptions about pricing?
  - Calvo nominal stickiness
  - LCP or DCP instead of PCP